



# The theory linking gravitational waves, star-formation and the dawn of the Universe

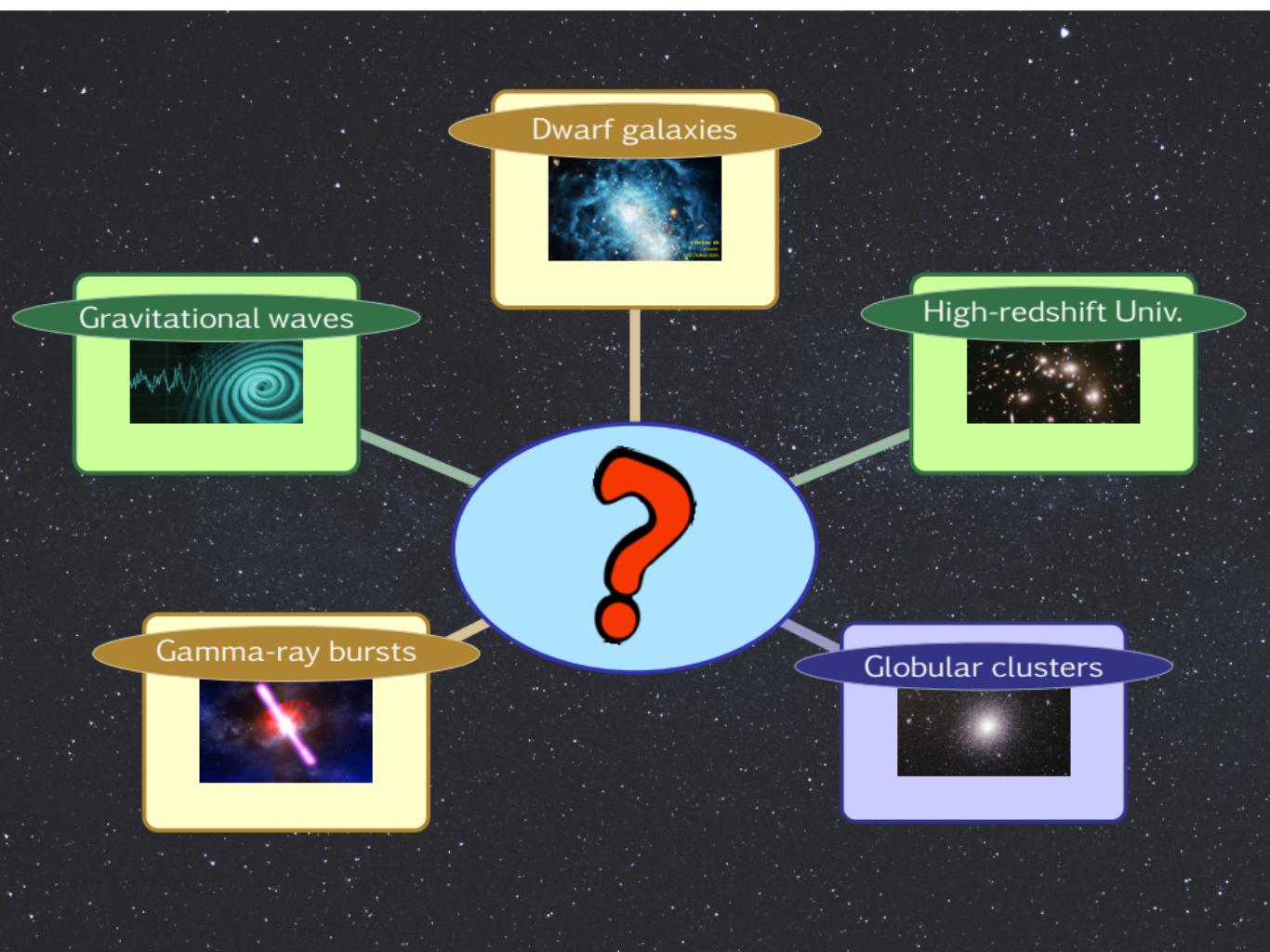
*Dr. Dorottya Szécsi*

Humboldt Fellow  
*University of Cologne, Germany*

soon: assistant professor at *Nicolaus Copernicus University,*  
*Poland*

Deartment of Natural Sciences,  
University of Public Service, Hungary  
1st September 2020





## Dwarf galaxies



## Gravitational waves



## High-redshift Univ.



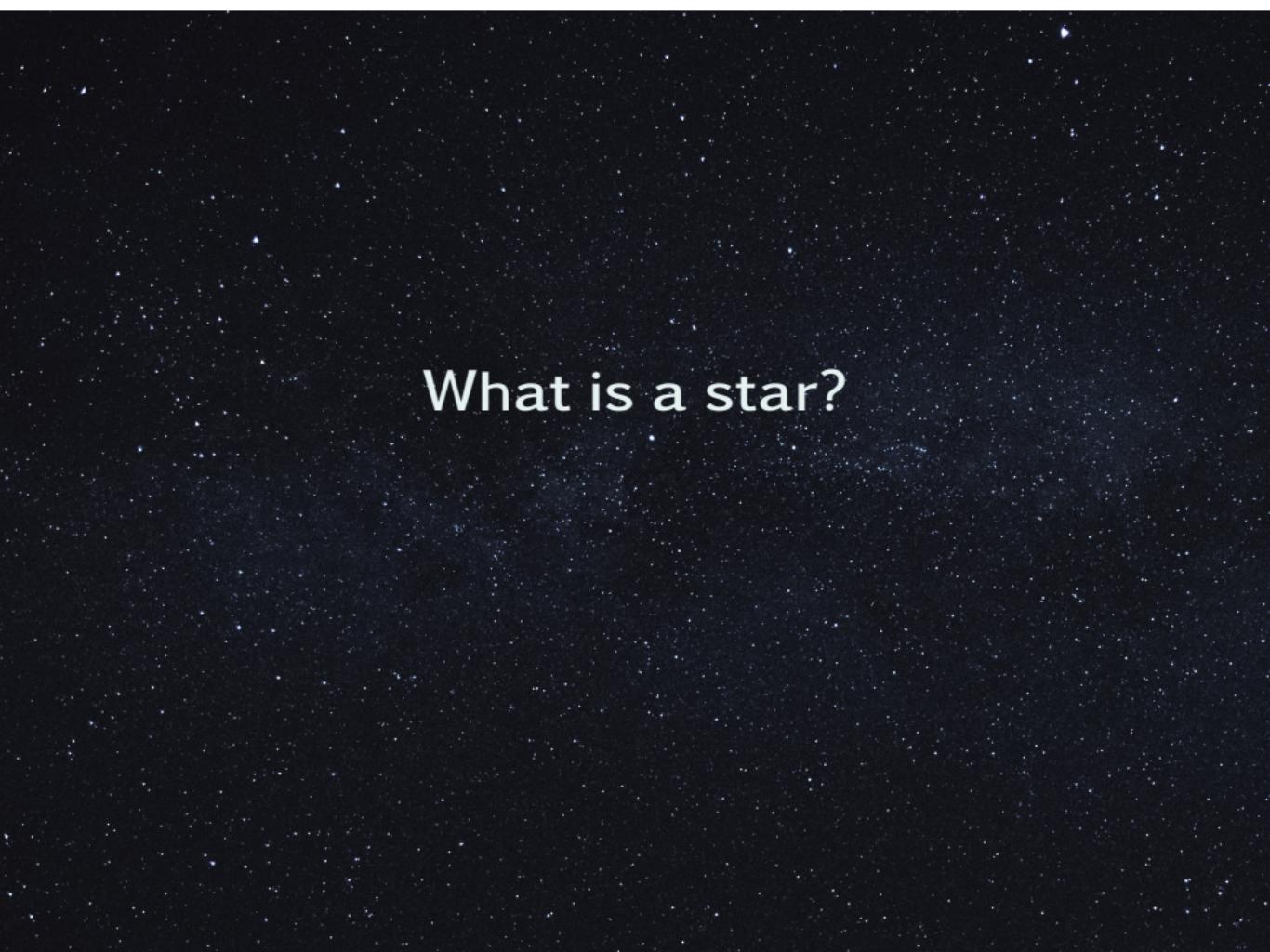
## Metal-poor massive stars

### Gamma-ray bursts



### Globular clusters



The background of the image is a dark, textured surface that looks like a star-filled night sky. It is covered with numerous small, white specks of varying sizes, representing distant stars.

What is a star?

What is a star?

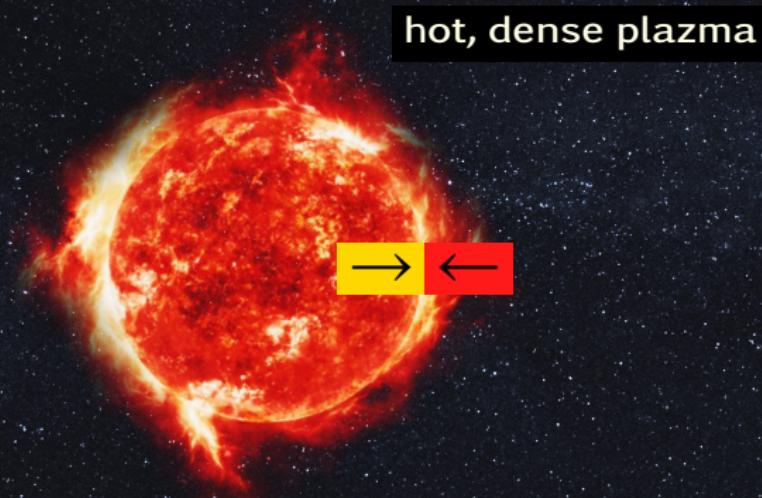


# What is a star?



hot, dense plasma

# What is a star?



equilibrium:

pressure gradient

gravity

# What is a star?

surface?

hot, dense plasma

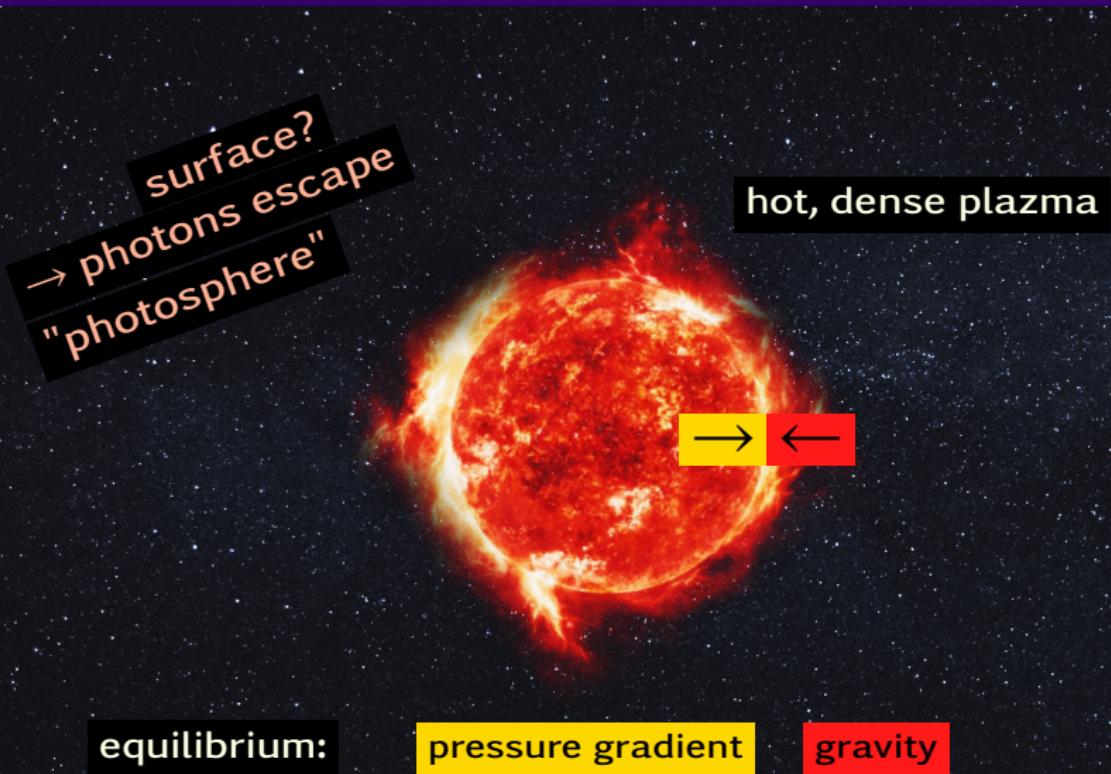


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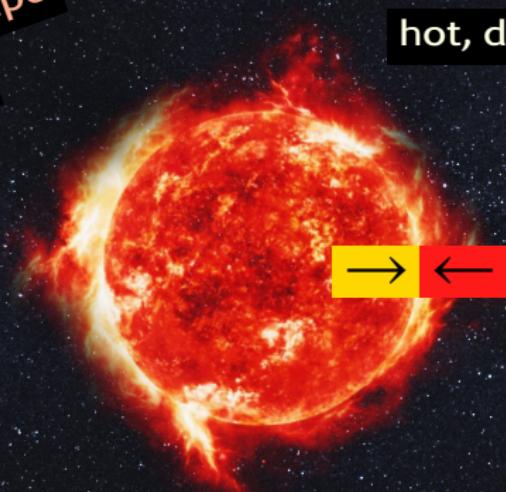
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surface?  
→ photons escape  
"photosphere"

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*What is inside?*



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What is inside?



theoretical  
modelling  
of the stellar  
structure

equilibrium:

pressure gradient

gravity

## Theoretical modelling of the stellar structure

$$\frac{\partial r}{\partial m_r} = \frac{1}{4\pi r^2 \rho} \quad \text{equation of definition of mass} \quad (1)$$

$$\frac{\partial P}{\partial m_r} = -\frac{Gm_r}{4\pi r^4} \quad \text{equation of hydrostatic equilibrium} \quad (2)$$

$$\frac{\partial L_r}{\partial m_r} = \epsilon_{\text{pl}} - T \frac{\partial S}{\partial t} \quad \text{equation of energetic balance} \quad (3)$$

$$\frac{\partial T}{\partial m_r} = -\frac{Gm_r T}{4\pi r^4 P} \nabla \quad \text{equation of energy transport,} \quad (4)$$

Guilera+ 11

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Guilera+11

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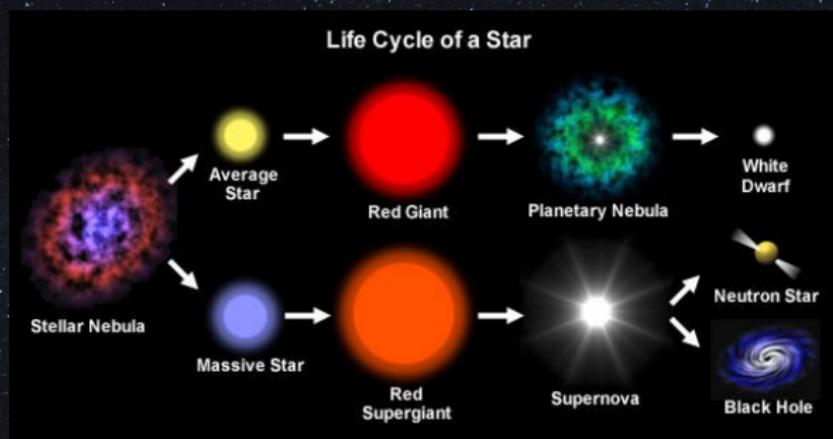
Guilera+11

composition change due to nuclear burning:

$$\frac{\partial X_i}{\partial t} = \frac{A_i m_u}{\rho} (-\sum_{j,k} r_{i,j,k} + \sum_{k,l} r_{k,l,i}) \quad (5)$$

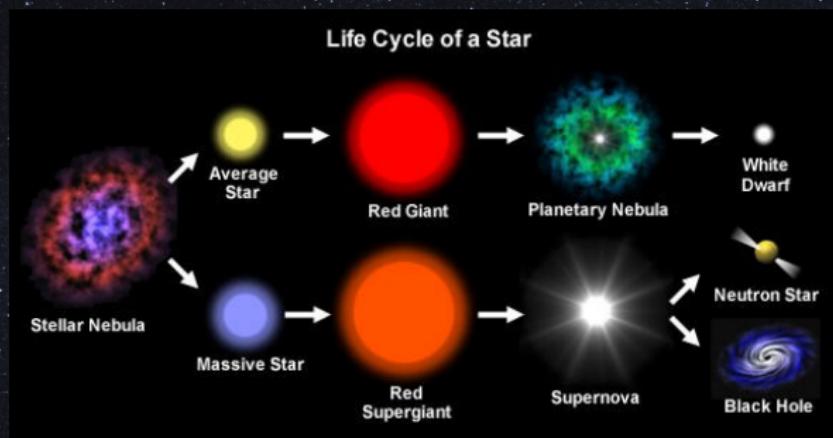
# Massive vs. low-mass stars

Massive stars:  $\gtrsim 9$  times the Sun ( $\gtrsim 9 M_{\odot}$ )

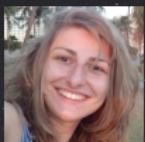


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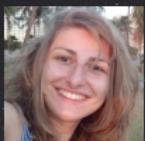
- Metallicity
- Rotation
- Binarity



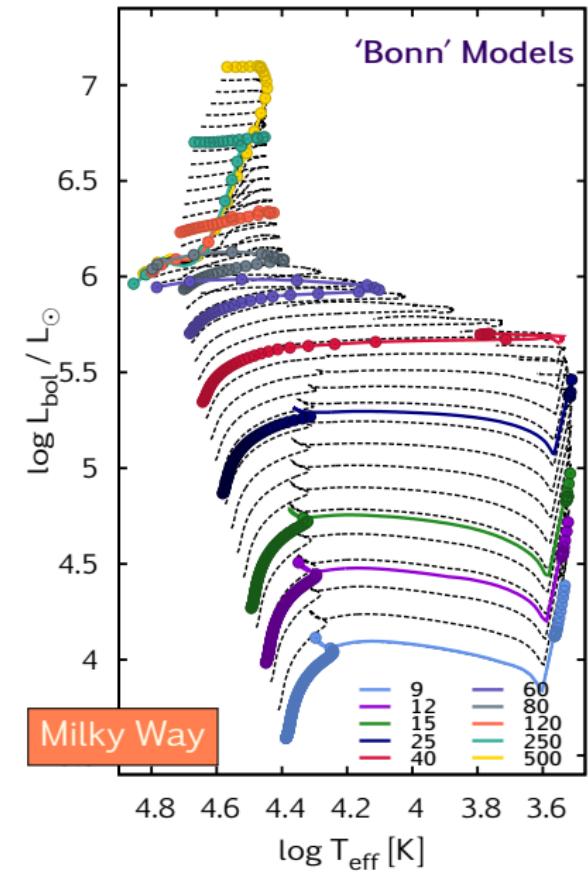
*Dorottya Szécsi:*

*The BoOST project*

*Bonn Optimized Stellar Tracks*

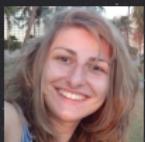


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Brott+11 ( $< 60 M_{\odot}$ ), Köhler+15

Szécsi+15,20 ( $> 60 M_{\odot}$  & interp)



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Metallicity



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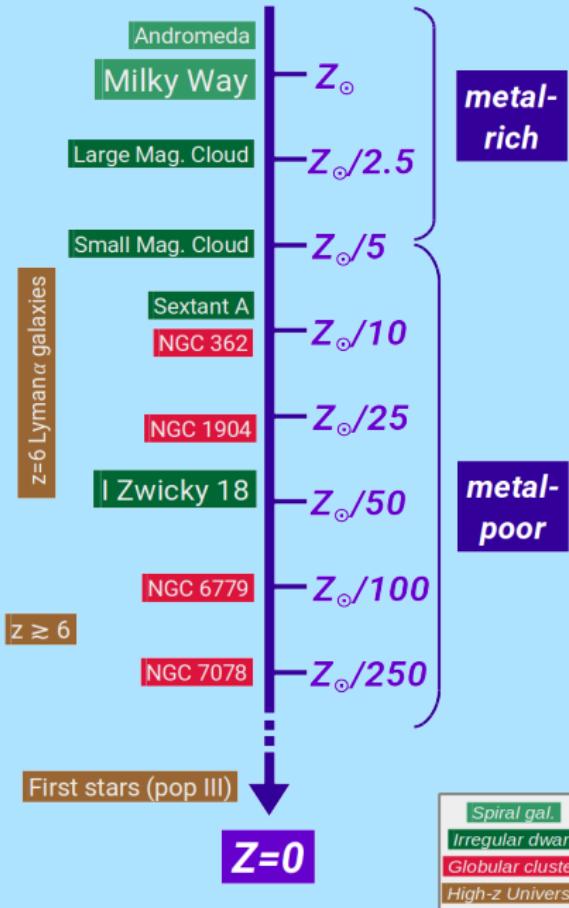
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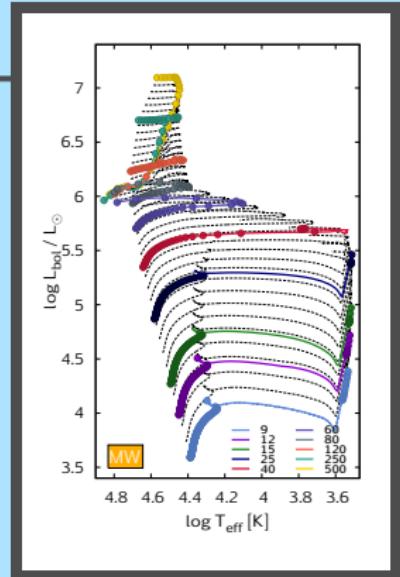
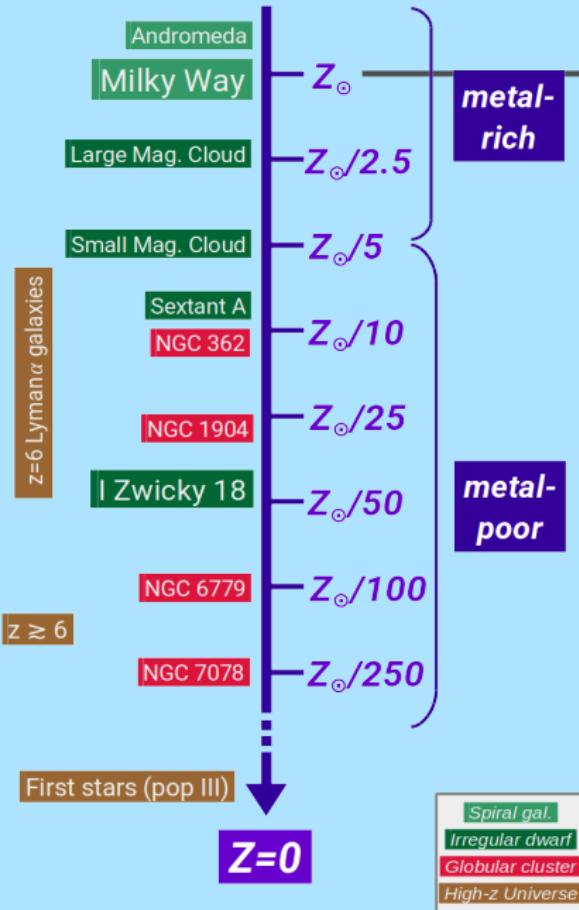
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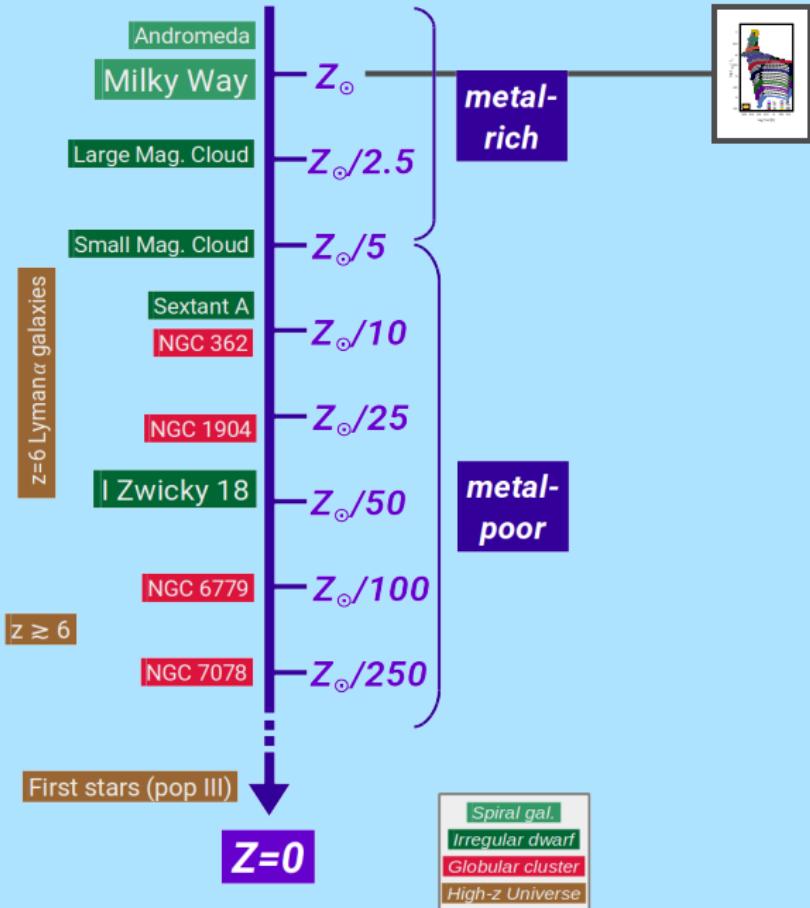
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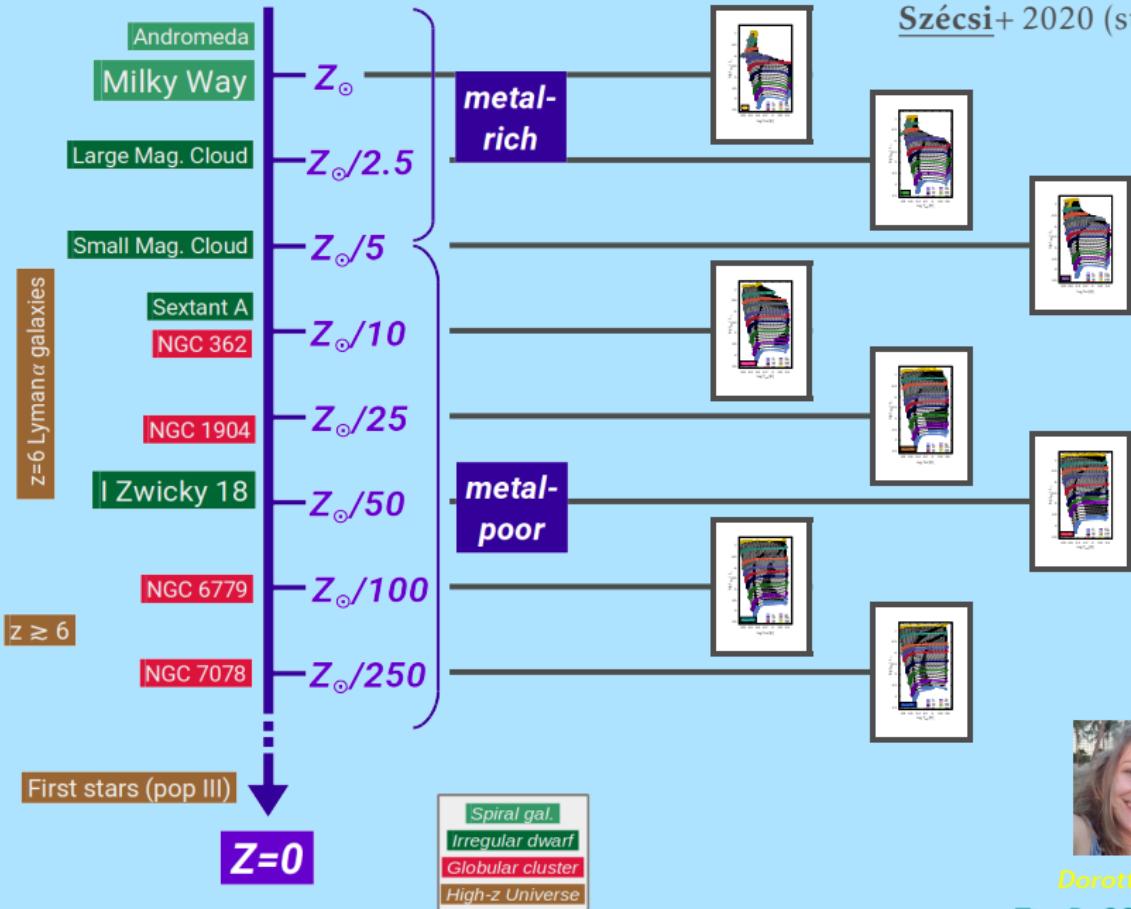
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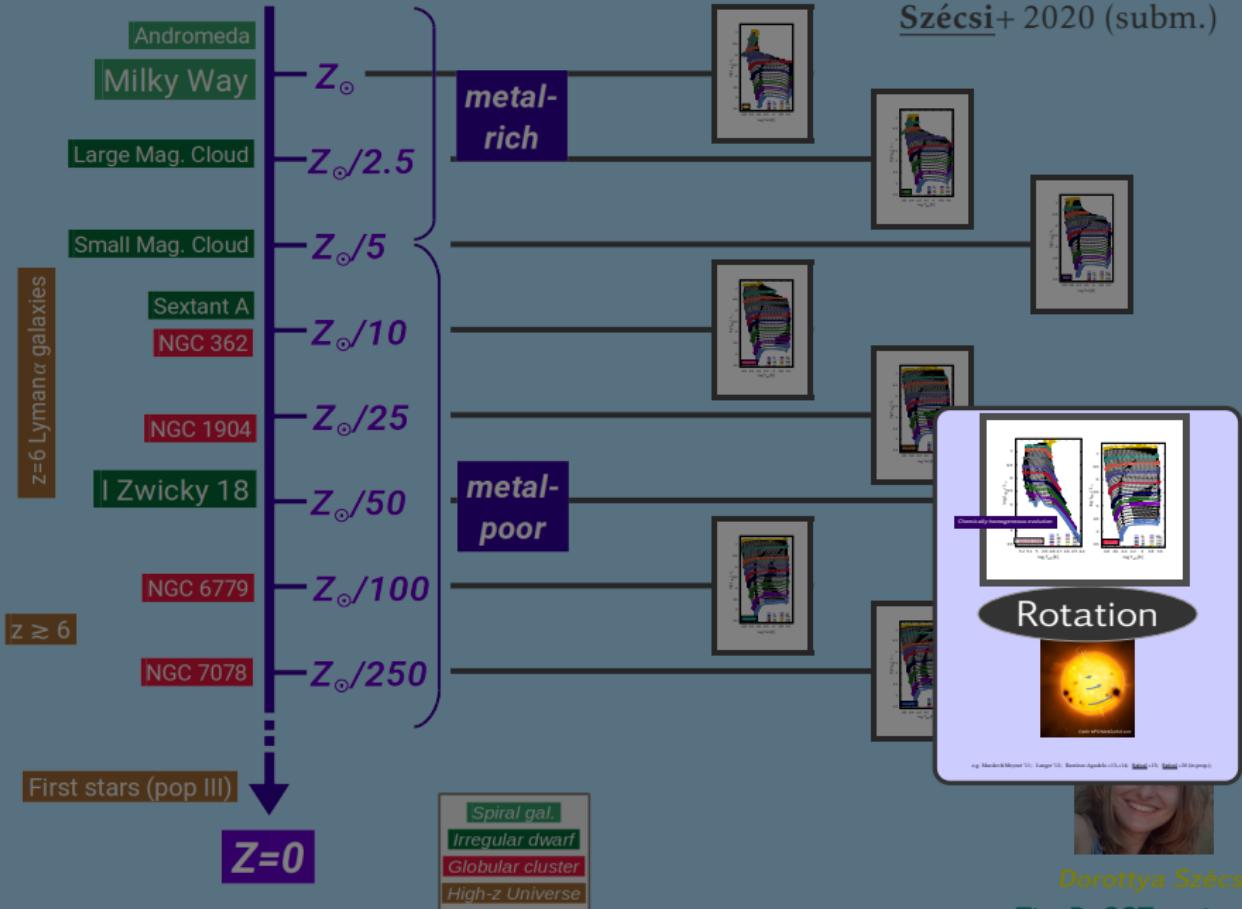
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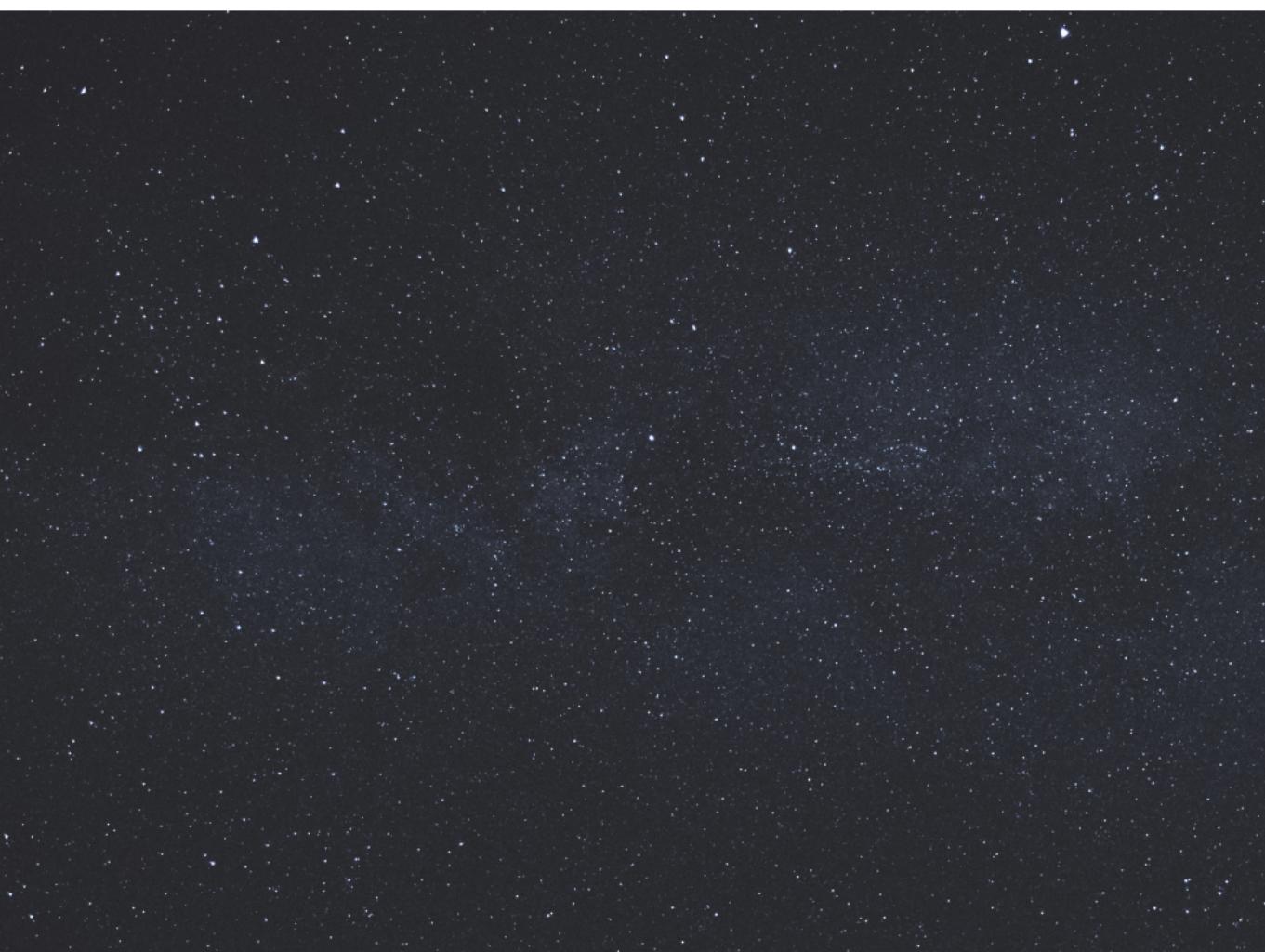
e.g. Madau & Meurer 19, Langer 12, Ramirez-Agudelo et al. 19, Székely et al. 19 (in prep.)

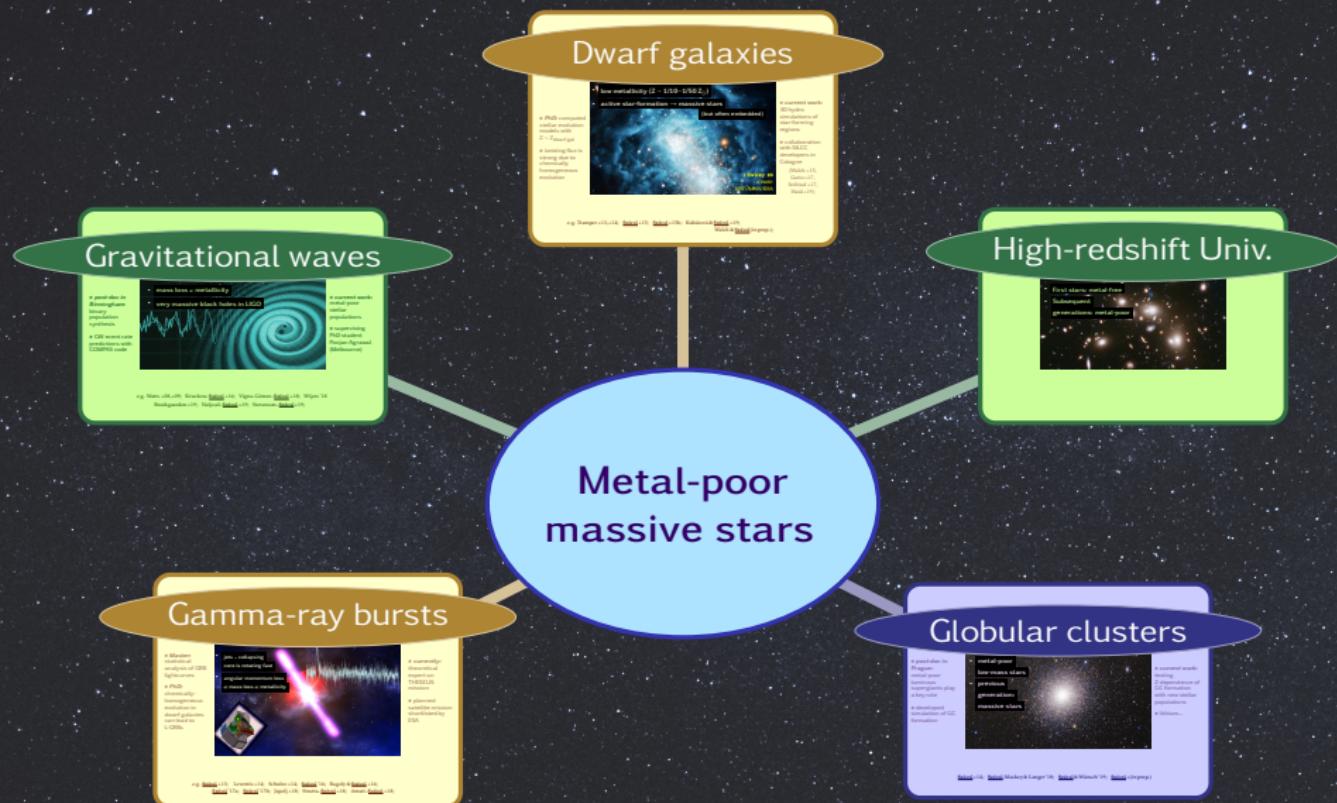


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